Maths. (Hons) Maths. (Hons) (Mid Term : CC - 14) (Mid Term : CC - 13) Time: 1 hrs. Full Marks: 15. Time: $1\frac{1}{2}$ hrs. Full Marks: 15. Answer all questions. Answer all questions. 1. Define limit, Polynomial Ring and prove that the set of all Define metric space and prove that the set of real numbers 1. Polynomials is a ring with respect to addition & scalar R is a metric space with metric d(x, y) = |x - y|5. multiplication. Prove that the n'hood is an open set. 2. Define Inner Product space and prove that every Inner Product Define analytic function of complex variable, state the 5. space is a metric space. 5. condition for Cauchy-Riemann equations and derive the equin. 3. Define Dual space, Double dual and Dual basis. Maths. (Hons) (Mid Term : DSE - III) Maths. (Hons) Time: $1\frac{1}{2}$ hrs. Full Marks: 15. (Mid Term : DSE - IV) Answer all questions. Time: $1\frac{1}{2}$ hrs. Full Marks: 15. Answer all questions. Find the condition that the roots of equal $x^3 - px^2 + qx - r = 0$ 1. Are in A. P. Define SHM and discuss the motion. For the cubic equⁿ, $x^3 + px^2 + qx + r = 0$, whose roots are

 α, β, γ , find $\sum \alpha^2$.

Solve the equation $x^3 - 9x + 28 = 0$ by Cardon's method.

Find the radial acceleration of a moving particle in a plane.

Derive the intrinsic equation of the common catenary.